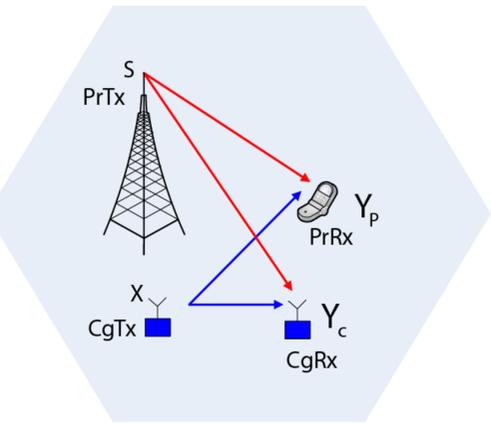


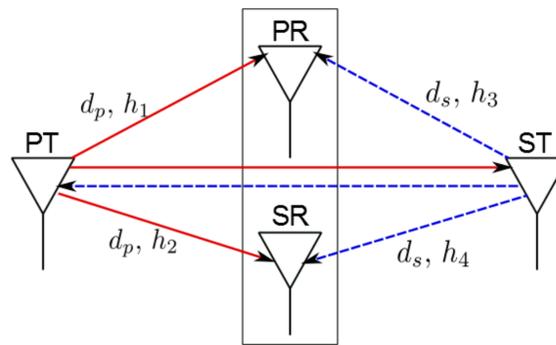
# A Jointly Cooperative Scheme for Secondary Spectrum Access

Songze Li, Urbashi Mitra



- primary Tx is transmitting to the primary Rx
- cognitive Tx wants to transmit to cognitive Rx through the same spectrum with primary user

## Two phase transmission scheme



- orthogonal scheme (only one of PT and ST is transmitting in one phase)
- phase 1 and 2 have equal length

## Joint cooperation

- ST and PT are both willing to spare part of their own transmit power to relay the others' message
- decode-and-forward relaying is applied at PT and ST in alternating phases

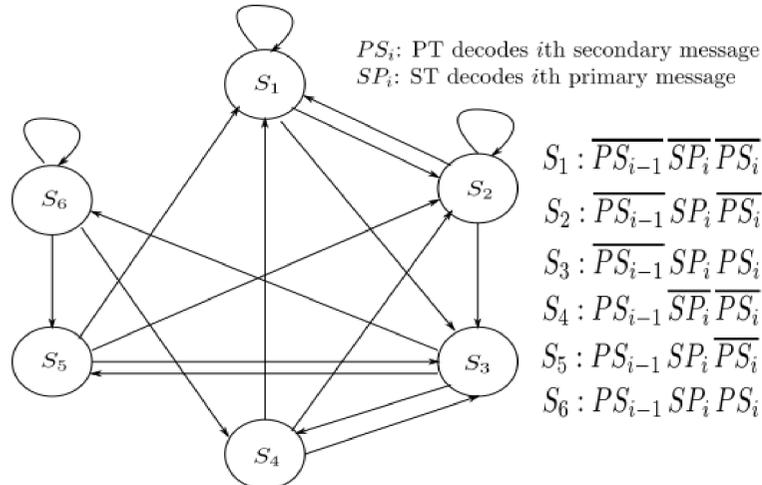
## Transmitted signals for time frame i

		PT	ST
phase 1	PT decodes $x_{s(i-1)}$	$\sqrt{\alpha_1 P_p} x_{pi} + \sqrt{(1-\alpha_1) P_p} x_{s(i-1)}$	silent
	else	$x_{pi}$	silent
phase 2	ST decodes $x_{pi}$	silent	$\sqrt{\alpha_2 P_s} x_{pi} + \sqrt{(1-\alpha_2) P_s} x_{si}$
	else	$x_{pi}$	silent

➤  $\alpha_1$  and  $\alpha_2$  are power allocation coefficients at the PT and ST respectively

## System Markov chain

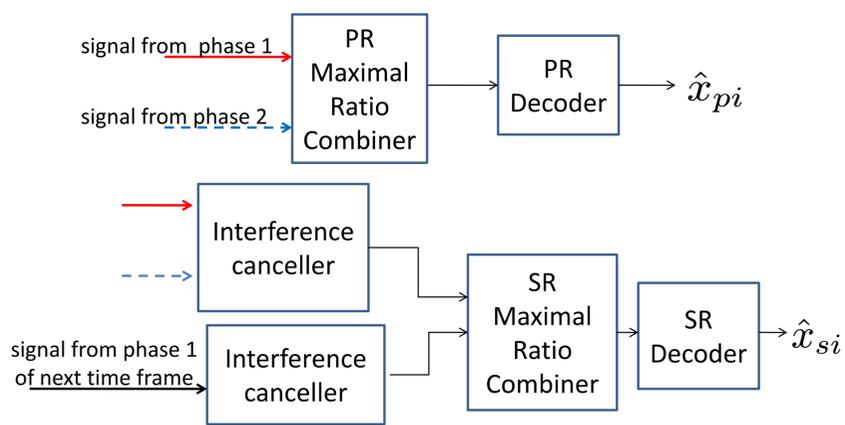
- transmitted signals determined by results of decoding other's message at PT and ST
- signals from 3 phases needed to decode  $x_{pi}$  and  $x_{si}$  at receivers
- the whole system is in one of 6 states defined by decoding results at transmitters



- $S_1 : \overline{PS_{i-1}} \overline{SP_i} \overline{PS_i}$
  - $S_2 : \overline{PS_{i-1}} SP_i \overline{PS_i}$
  - $S_3 : \overline{PS_{i-1}} \overline{SP_i} PS_i$
  - $S_4 : PS_{i-1} \overline{SP_i} \overline{PS_i}$
  - $S_5 : PS_{i-1} SP_i \overline{PS_i}$
  - $S_6 : PS_{i-1} \overline{SP_i} PS_i$
- closed form expressions for probability transition matrix and stationary distribution

## Separate decoding

- PR and SR do not talk to each other and try to decode interested messages separately



## Joint decoding

- PR and SR antennas form a virtual antenna array (a two-user SIMO MAC)
- received signal for state k:

$$\underline{y}(k) = \underline{H}_{pi}(k) x_{pi} + \underline{H}_{si}(k) x_{si} + \underline{H}_{p(i+1)}(k) x_{p(i+1)} + \underline{H}_{s(i-1)}(k) x_{s(i-1)} + \underline{w}$$

information symbols      try to decode and cancel      treated as noise

- "one shot" decoder (no memory)
- expect a better performance than decoding separately

## Capacity and outage

rate pair for state  $k$ ,  $\{R_p(k), R_s(k)\}$ :

$$\sum_{j \in S} R_j(k) \cdot \frac{1}{2} \log \left[ \det \left( \mathbf{I} + \sum_{j \in S} \widetilde{\underline{H}}_{ji}(k) \widetilde{\underline{H}}_{ji}(k)^T \right) \right], \forall S \subseteq \{p, s\}$$

$\widetilde{\underline{H}}_{ji}$ : Channel vector of  $i$ th message after whitening noise

individual outage probabilities for state  $k$ :

$$P_j(out|k) = \Pr[r_j > R_j(k)], j \in \{p, s\}$$

$r_j$ : target rate

- exact expressions or tight approximations for both primary and secondary outage probabilities in all six states are derived

## Performance evaluation

